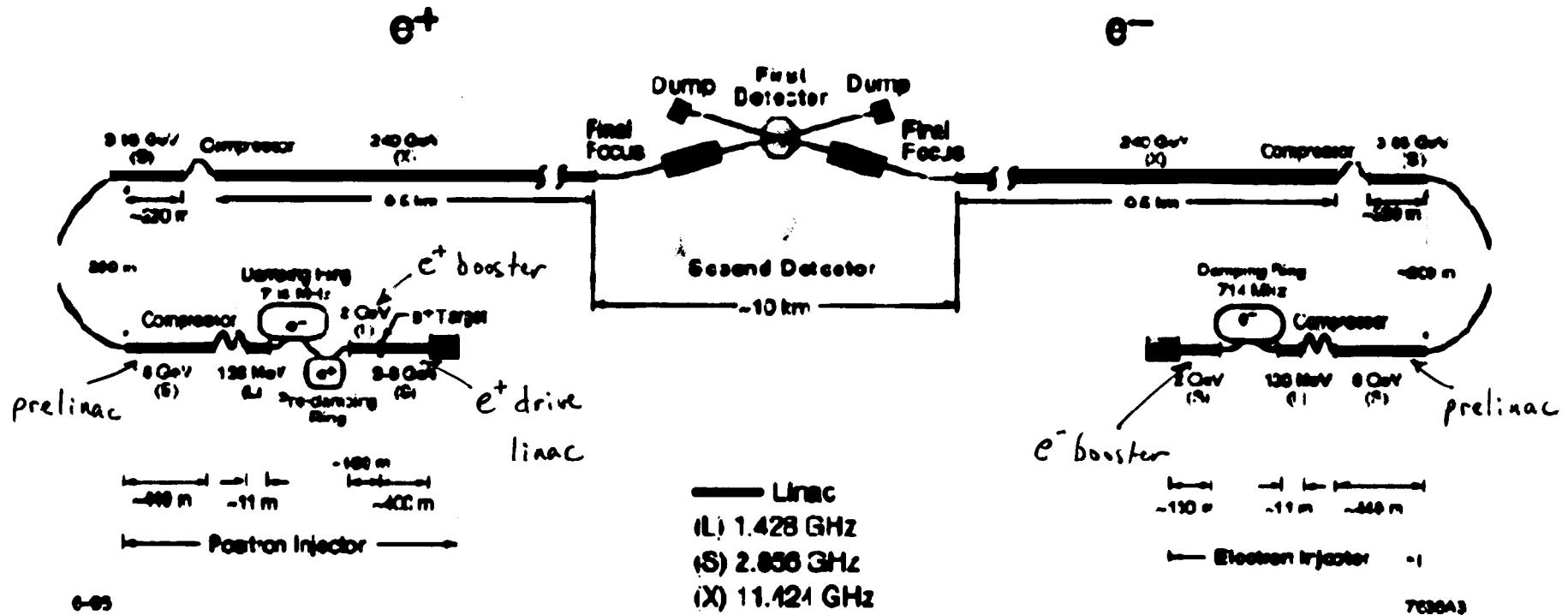


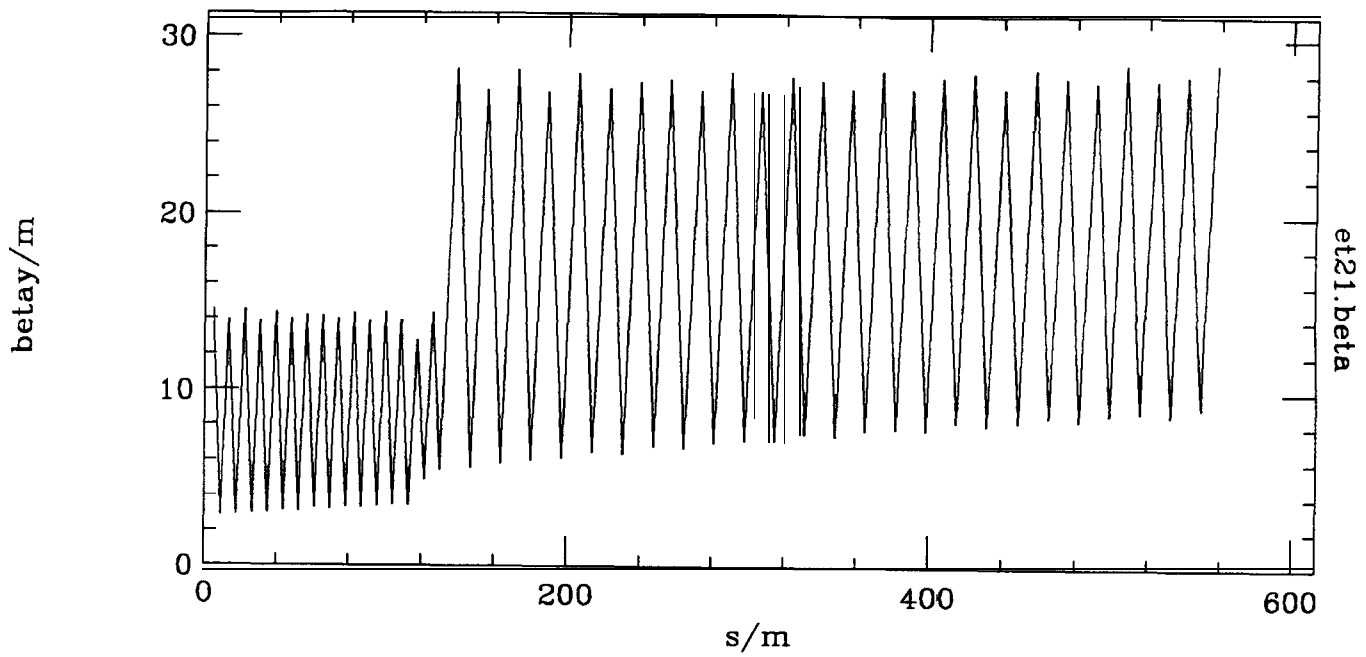
These pages are under construction. Most are incomplete and many are have not even been started!

# NLC Diagram

not to scale  
(500 GeV c.m.)



# Prelinac beta function



$$E_0 = 26 \text{ keV}$$
$$E_f = 10 \text{ keV}$$
$$L_{\text{syn}} = 3 \times 10^{-8} \text{ m}$$

- latest lattice on web  
- 10/21/07

## Beam Break-up Long Range Wake

strength  
parameter

$$\gamma = \frac{e^2 N L \bar{S} \beta_0}{2 E_0} \left[ \frac{2 \left[ \left( \frac{E_f}{E_0} \right)^{1/2} - 1 \right]}{\left( \frac{E_f - E_0}{E_0} \right)} \right]$$

estimate

$$\frac{\Delta E}{E} \approx \frac{\gamma_0^2 \gamma^2 \delta}{2 E_n \beta} \quad \text{if } \gamma \text{ small}$$

eg prelinac

$$N = 1.2 \times 10^{10}$$

$$E_0 = 2 \text{ GeV}$$

$$\bar{S} \approx \sqrt{\langle S^2 \rangle} = \frac{6.4}{64} \text{ V/pC/mm/m}$$

$$L = 500 \text{ m}$$

$$E_f = 10 \text{ GeV}$$

$$\beta_0 = 8.5 \text{ m}$$

$$\lambda_0 = 8 \mu\text{m} [= 15]$$

$$\Rightarrow \gamma = 0.14$$

$$E_n = 3 \times 10^{-8} \text{ r/m}$$

$$\left( \frac{\Delta E}{E} \right)_y \approx 1\% \quad [\text{LIAR gets } 0.5\%]$$

- Note:  $\frac{S}{M}$  is bunch wake ( $M$  is number of bunches)

## Pre injector Wakes (cont'd)

How to reduce wake at 2nd bunch

- detuning envelope
  - detuning zero crossing
  - damping
- or combinations

### Detuning Envelope

- gaussian  
at 2nd bunch  $W \approx 2\bar{k}_\perp \sin(2\pi\bar{f}t) \exp(-2(\pi\bar{f}t\sigma_{df})^2)$

if we want amplitude reduction 0.02  $\Rightarrow$  exp argument  $\approx 4$

eg. at S band (2.8ns spacing) need  $\sigma_{df} \approx 16\%$   
too large

- uniform

$$W \approx 2\bar{k}_\perp \sin(2\pi\bar{f}t) \frac{\sin(\pi\bar{f}t\Delta_{df})}{(\pi\bar{f}t\Delta_{df})} \quad (\text{exact if } k_{\text{un}} = \bar{k}_\perp)$$

at S band ( $\bar{f} = 46\text{Hz}$ ), with  $\Delta_{df} = 10\%$ ,  
2.8ns spacing

$$\frac{1}{\pi\bar{f}t\Delta_{df}} \approx 0.3$$

$$2\pi\bar{f}t \rightarrow 2\pi n + 84^\circ \quad \sin(\ ) = .99$$
$$\pi\bar{f}t\Delta_{df} \rightarrow 202^\circ \quad \sin(\ ) = .38$$

happens to be in valley!

but sensitive to  $\Delta_{df}$

## Detuning Zero-crossing

$$\text{want } \sin(2\pi\bar{f}t) \approx 0$$

## Damping

$$\text{want } e^{-\frac{2\pi\bar{f}t}{2Q}} \ll 1; \text{ \# difficult at 2nd bunch}$$

## Results for different bands

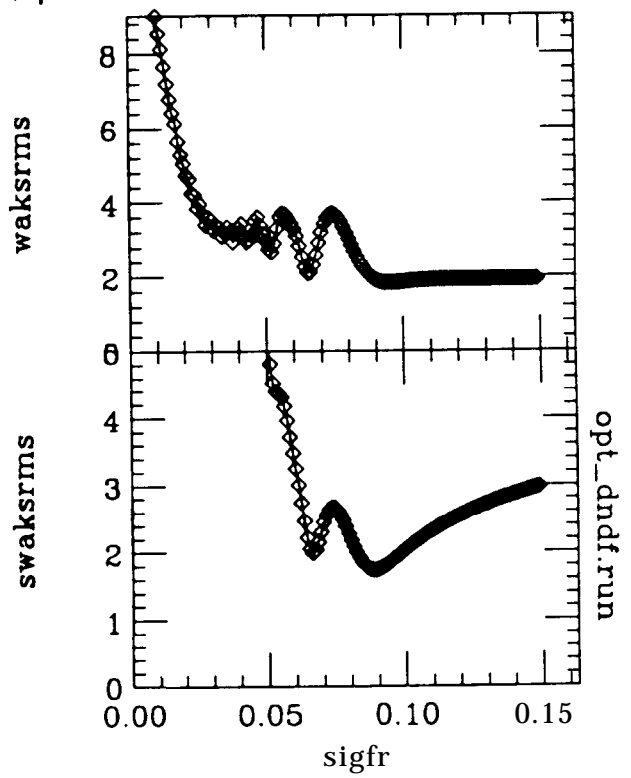
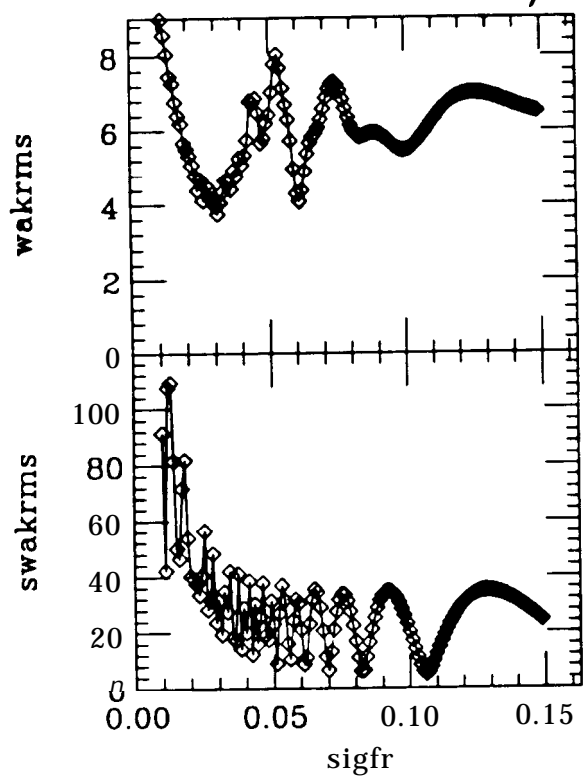
band	f <sub>0</sub>	wake scale	95			190 bunches		
			n <sub>H</sub>	Q <sub>2</sub>	γ*	n <sub>H</sub>	Q <sub>2</sub>	γ*
X	1	1	32	140		16	70	
S	1/4	1/64	8	35	0.01	4	18	0.07
L	1/8	1/512	4	18	0.08	2	9	0.16

optimal  
 - tilted uniform dist  
 - uniform dist  
 (df)<sub>95</sub> = 10<sup>-3</sup>

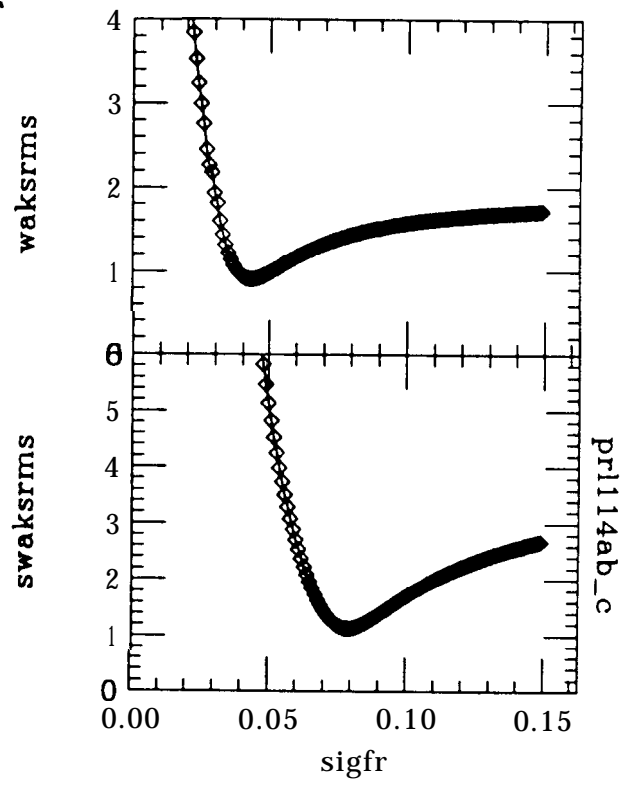
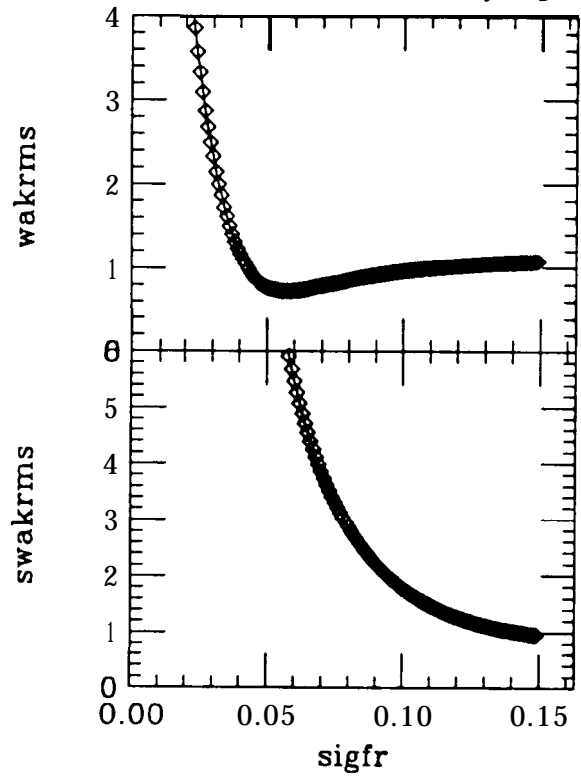
## Notes

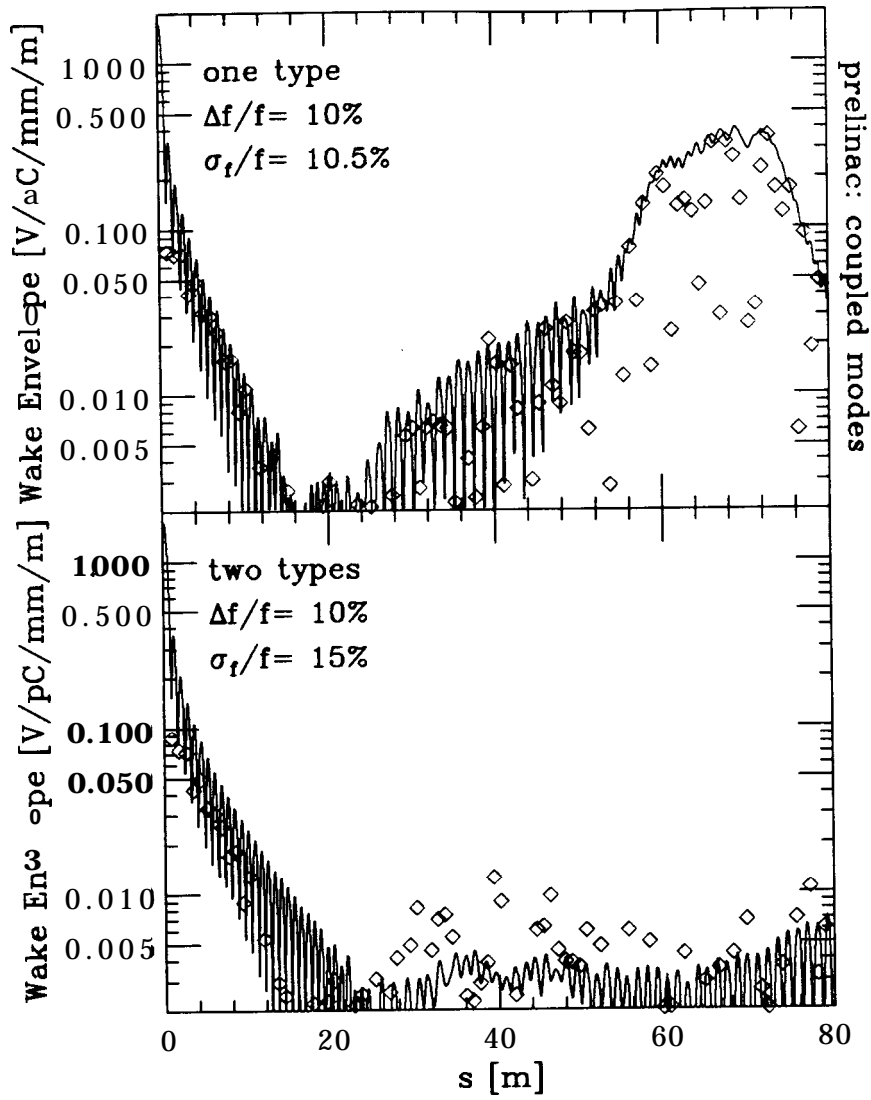
- Q<sub>2</sub> is Q necessary to damp to 1/e at 2nd bunch
- n<sub>H</sub> bunch spacing harmonic number
- γ\* = S<sub>ras</sub> [V/pC/mm/m]  $\frac{V}{N_{95}}$

1 structure type  
Varying  $\nabla f/f$



2 structure types!  
varying  $\Delta f/f$

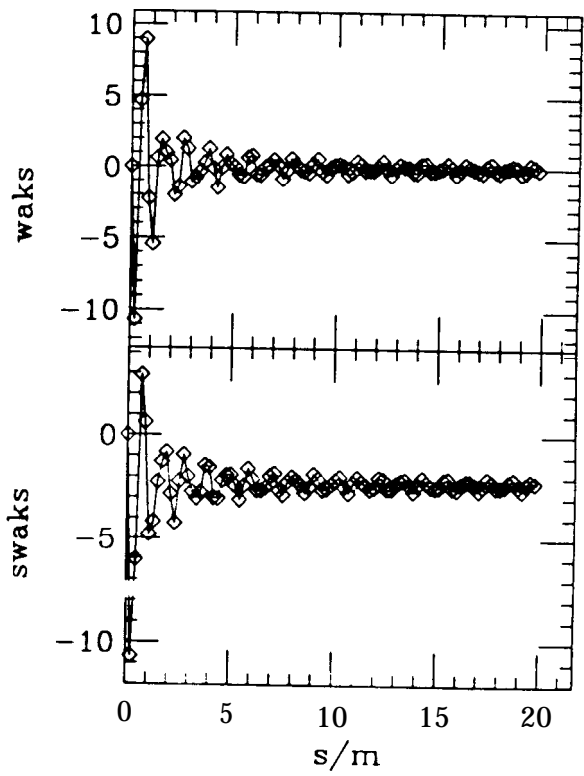
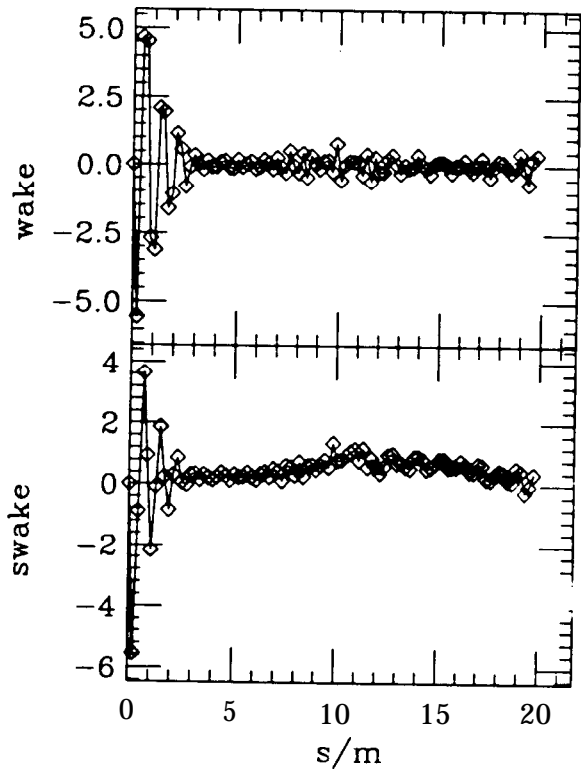




$$\Delta s = 2.8 \text{ ns}$$



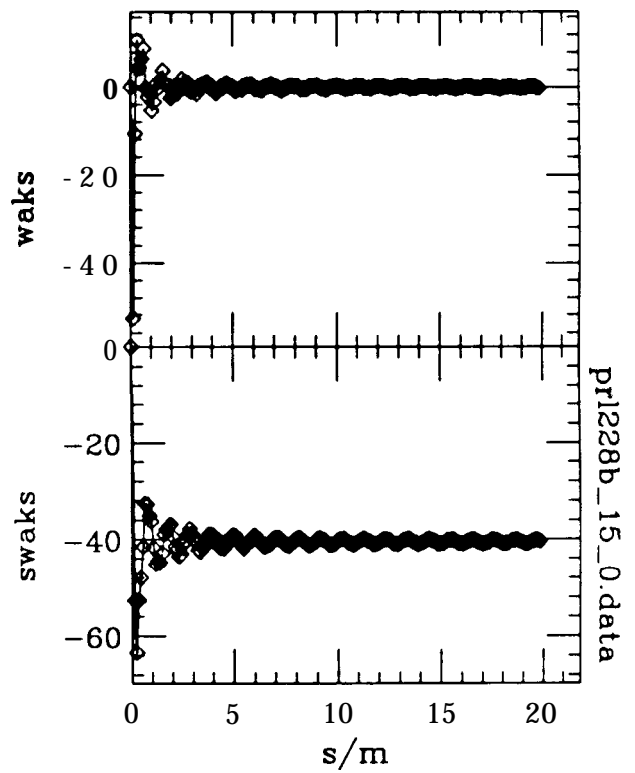
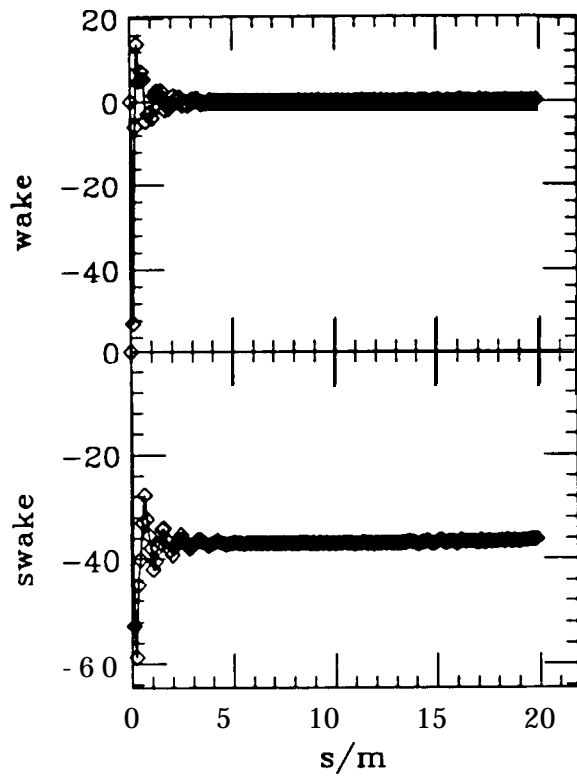
2 structure types  
 $\sigma_{\frac{1}{4}} = 15\%$



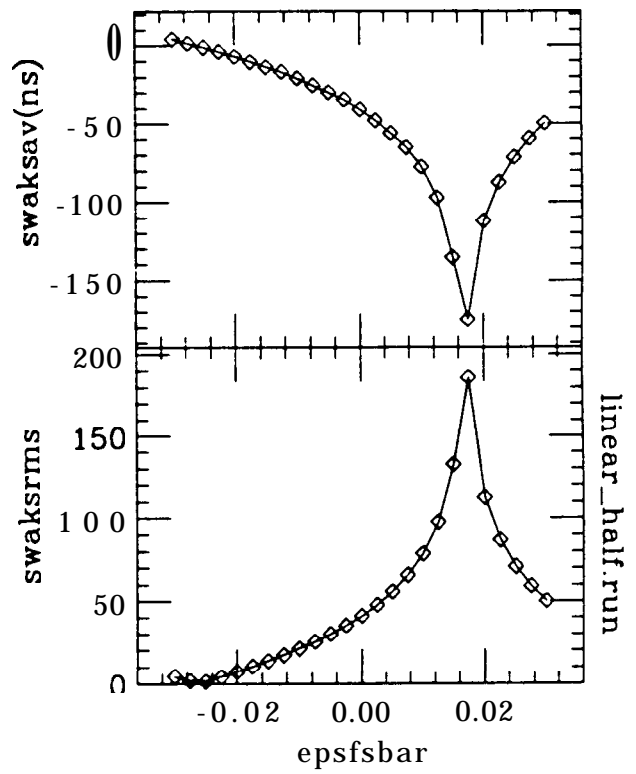
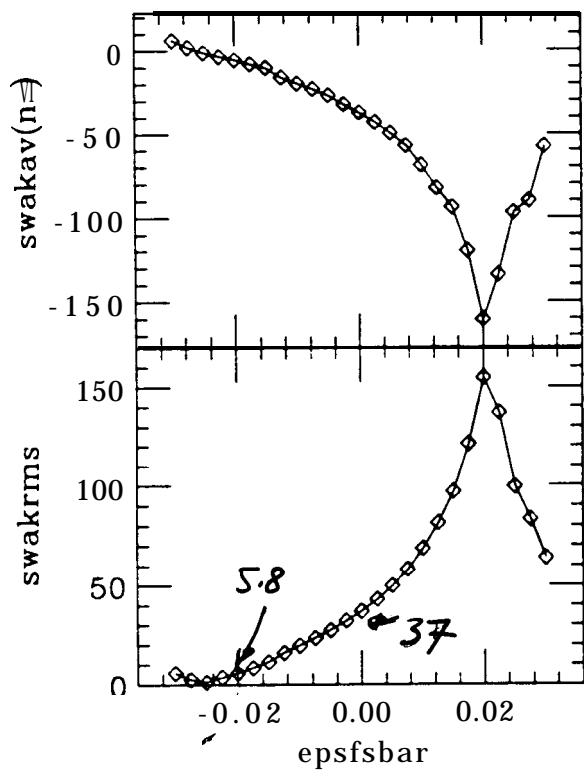
pr1114ab\_c\_15

2 structure types

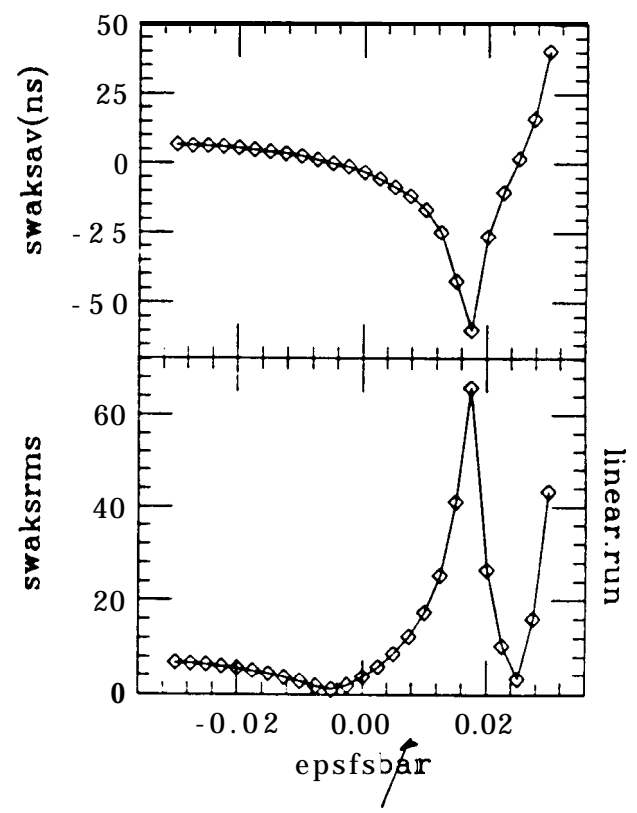
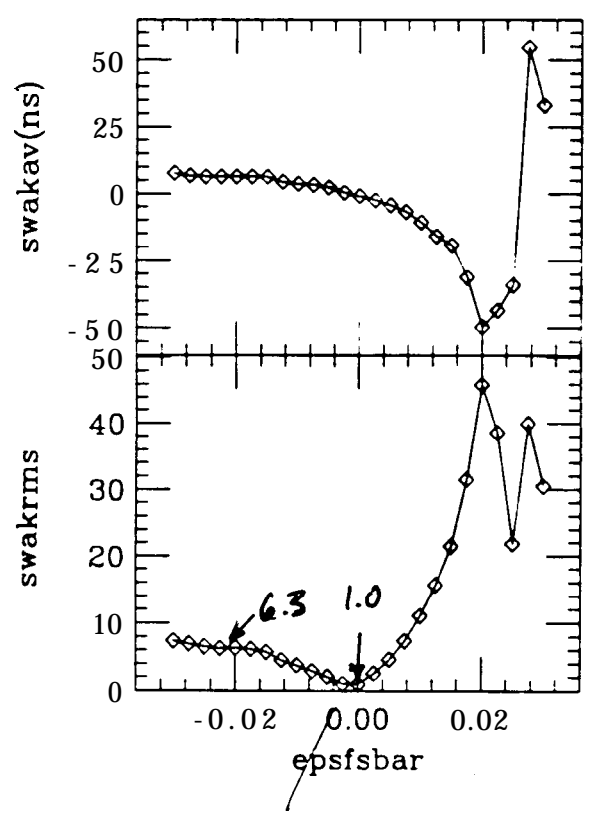
$$\sigma_f/f = 15\% , \Delta S = 1.4 \mu s$$



Uniform distribution,  $\pm$  nominal bunch spacing  
[1.4ns]

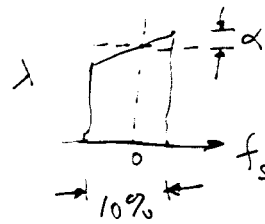


Uniform Distribution, Nominal bunch spacing  
[2.8 ns]



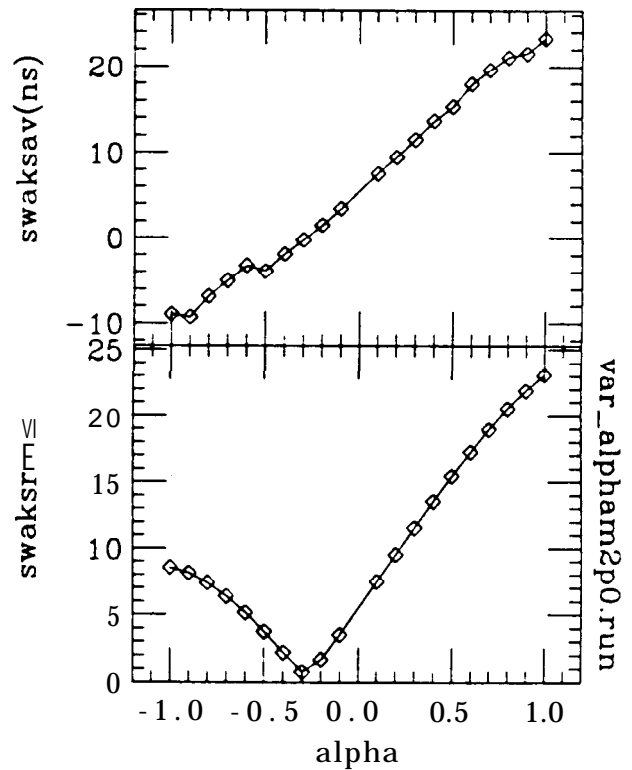
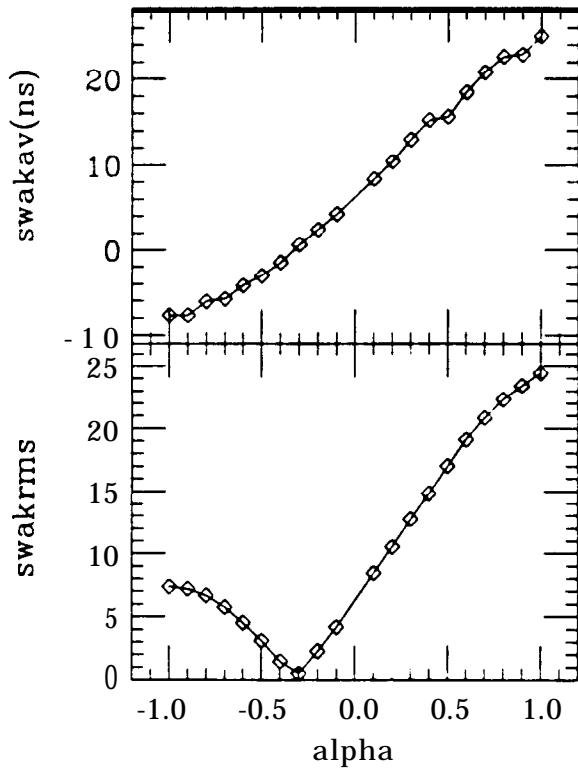
resonance at  
 $\pi f_0 t(1.05) \approx 6(2\pi)$

Tilted uniform distribution:  
[centered at 0]



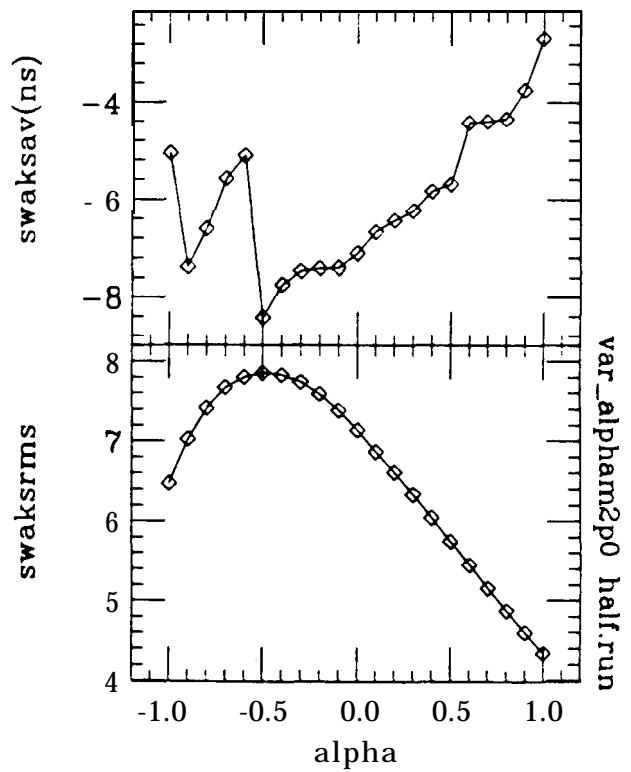
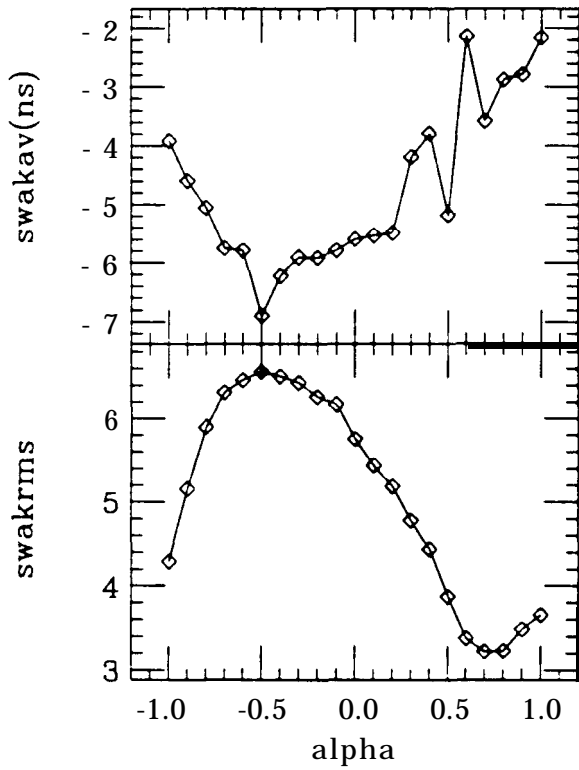
$\frac{\Delta f_s}{f_s} = -2\%$ , nominal spacing, function of  $\alpha$

nominal spacing  $\frac{\Delta f}{f} = -2\%$ , linear distribution to that it



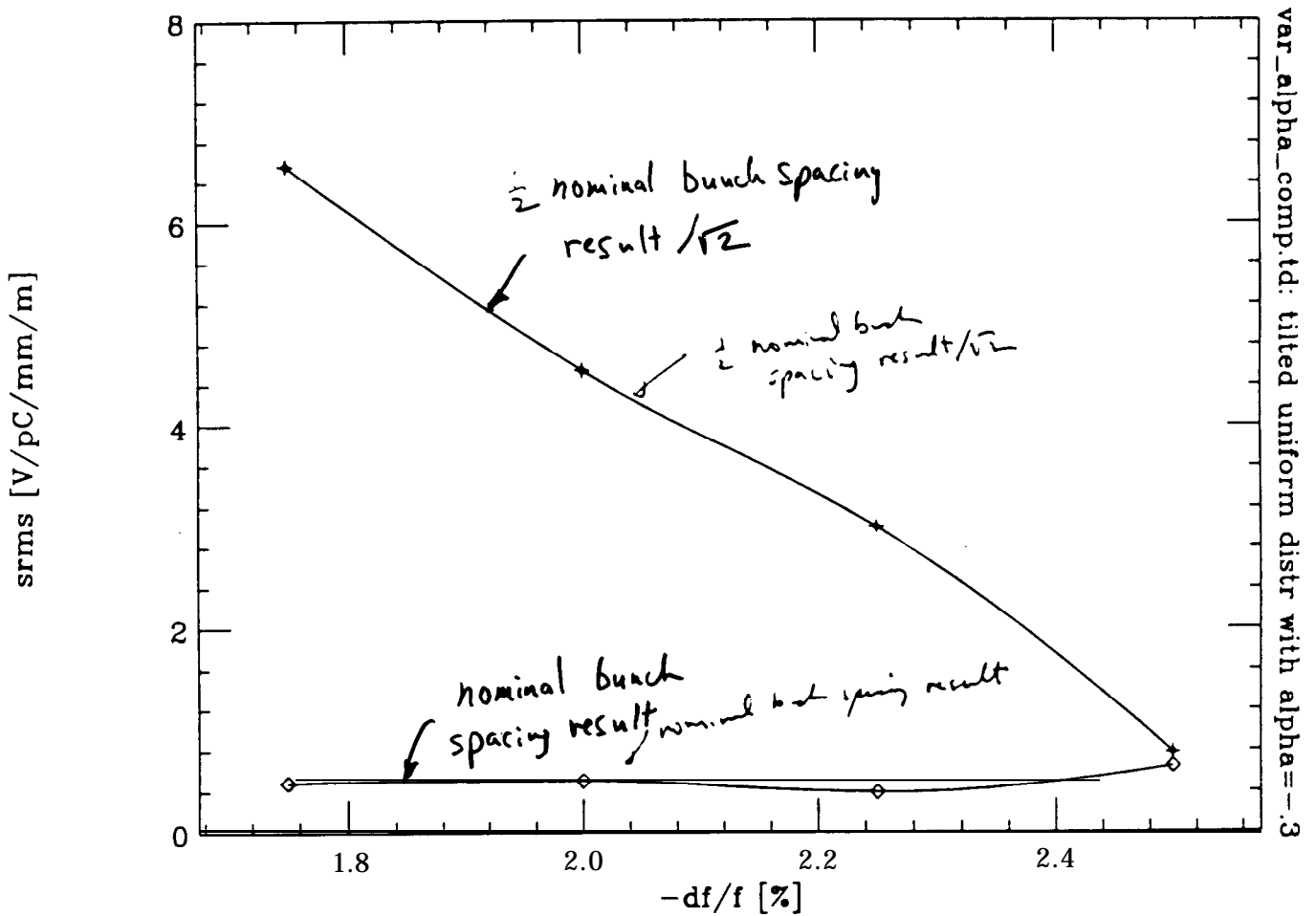
$$\frac{\Delta \bar{f}_s}{\bar{f}_s} = -2\%, \frac{1}{2} \text{ nominal spacing, function of } \alpha$$

•  $\frac{1}{2}$  nominal but spacing





tilted uniform distribution,  $\alpha = -0.3$ , function of  $\frac{\Delta f_s}{F_s}$



Machine	Beam Break-up					Misalignment	
	Analytical			Liar		Analytic	
	$S_{rms}$ [V/p/amp/m]	$\gamma$	$\frac{\Delta E}{E}$ (10% oscillation)	$\frac{\Delta E}{E}$	crity	tol. for 3% $\epsilon$ growth	
<u>Prelinac</u>						$(X_f)_{rms}$	$(X_a)_{rms}$
1 structure type	0.1	0.14	1%	0.5%	0.3?	75 $\mu m$	0.012
* 2 structure types	0.02	0.03	0.04%	0.01%	0.10	" [375 $\mu m$ together]	
$L \rightarrow \Delta S = 42 cm$	0.57	0.57	17%	0.30%	0.52	<del>75 <math>\mu m</math></del>	0.068
" $\frac{\Delta F}{F} = -25%$	0.02	0.02	0.02%	0.015%	0.08		
<u><math>e^-</math> Booster</u>	0.02	0.035					0.0042
<u><math>e^+</math> Drive Linac</u>	0.02	0.071					0.0062
<u><math>e^+</math> Booster</u>	0.012	0.014					0.0031
L band	0.078	0.091					0.022
$\Delta S = 42 cm$	0.234	0.193					

- crity: in normalized phase space, maximum excursion of any bunch from centroid, due to 10% oscillation

Note: for  $E_f \gg E_0, \Delta \sim E^{-1/2}$

$$\frac{(X_f)_{rms}}{(X_a)_{rms}} = e^{-N} h_a (S_a)_{rms} \sqrt{N_a B_0} \left[ \frac{1 - (E_0/E_f)^{1/2}}{E_0 E_f} \right]^{1/2}$$