

RF and Beam Loading Parameters for the NLC Detuned Structure with Damping Manifold

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Attached is a figure showing the unloaded and beam loaded gradient in the NLC detuned structure with damping manifold. The effect of the damping manifold was modeled by reducing the Q of cavities 1 through 106 by -2-1/2%, then tapering the Q linearly to -5% at the end of the structure. This corresponds to an average Q reduction of 3.1%. The effect of a uniform 3.0% reduction in Q was also calculated. The results are summarized in the table below. The parameters without damping manifold are those reported in NLC Note-4 (Rev. 1). Here \bar{G}_0 , \bar{G}_b and \bar{G}_L are the unloaded, beam-induced and loaded ($\bar{G}_L = \bar{G}_0 - \bar{G}_b$) gradients averaged over the length of the section. The numbers in the table are based on $\bar{G}_0 = 50$ MV/m. The last column gives the percent change for the tapered case compared to the structure without a manifold.

RF Parameters for Three NLC Structures

	Without manifold	3% Q reduction	Taped Q reduction	Percent change
τ	0.57	.533	.535	+3.5%
\hat{P} /meter (MW/m)	48.81	49.48	49.42	+1.25%
p/section (MW)	87.95	89.16	89.05	+1.25%
\bar{G}_b (MV/m)	12.79	12.73	12.73	-0.5%
\bar{G}_L (MV/m)	37.20	37.27	37.27	+0.2%

The present NLC parameter list at 500 GeV is based on a peak rf power of 50 MW/m for a gradient of 50 MV/m. Thus there is a slight overhead of $50/49.42 = +1.2\%$ compared to the power actually needed. However, the cell Q 's are based on the theoretical surface resistance for a perfect copper surface, as calculated by URMEL or SUPERFISH. The Q of a real copper cavity is always less than this theoretical value. We note from the above table that a 3% reduction in Q requires a 1.37% increase in peak power. Thus the 1.2% power overhead allows for a 2.6% further reduction in Q in the NLC structure due to imperfect surfaces. However, the actual Q reduction is likely to be somewhat greater.

$P_0 = 89.16$ MW $p_0 = 49.41$ MW/m $R_0 = 91.01$ $R_b = 1.86$ $R_L = 50.58$ Mohm
 $F = 11424.0$ MHz $I_b = 0.743$ A $SL = 1.802$ m $V_{G0} = 0.1186$ $V_{GL} = 0.0297$ $TF = 0.1011$ μs $\tau = 0.536$
 $V_0 = 90.08$ $V_b = 22.93$ $V_L = 67.15$ MV $E_{AGS} = 49.99$ $E_{ABS} = 12.72$ $E_{ALS} = 37.26$ MV/m

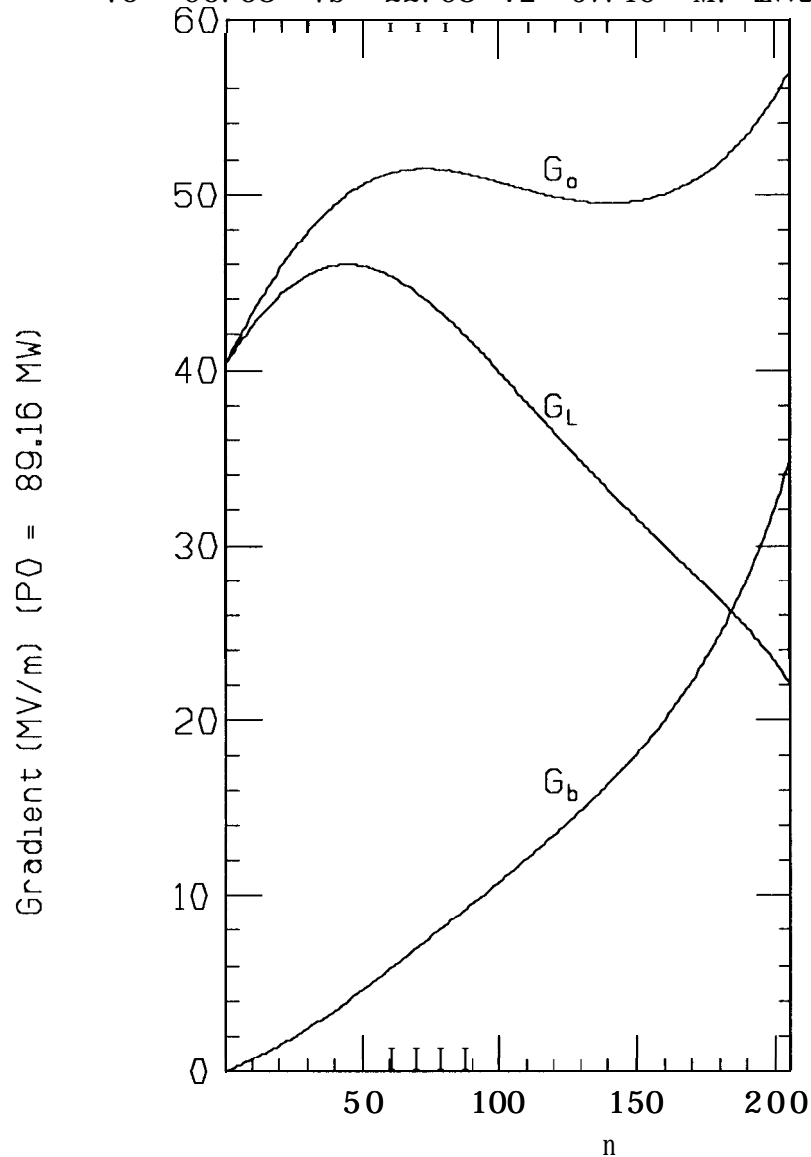


Fig. 1. Generator, beam and loaded gradients as a Function of cell number n .

DTU
 NC=206

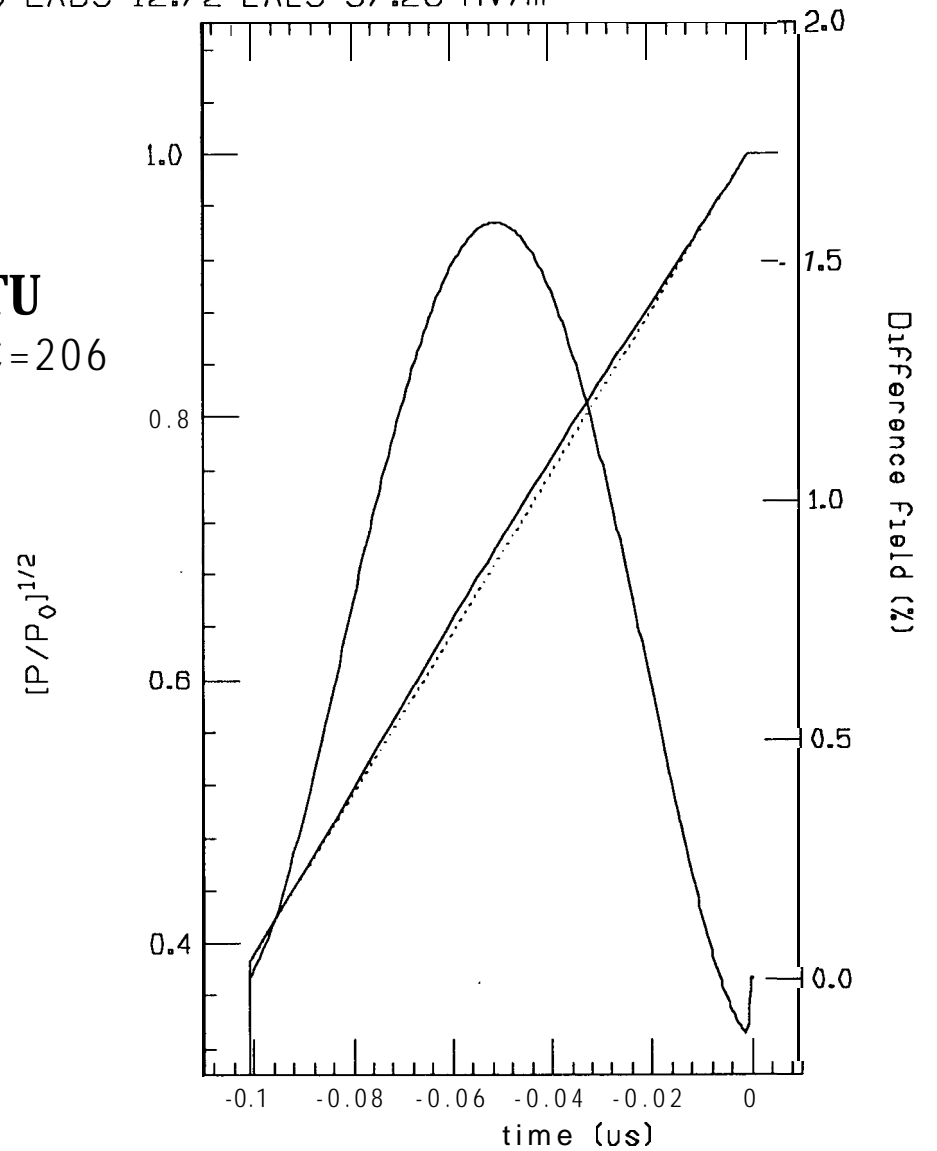


Fig. 2. Norm. input field $[P/P_0]^{1/2}$ and difference between it and a linear field (dots) vs time

Initial norm. field = 0.3850

$frsh(1) = 0.970$ $frsh(50) = 0.970$ $frsh(106) = 0.970$ $frsh(130) = 0.969$ $frsh(160) = 0.962$ $frsh(206) = 0.951$
 $s_1 = 653.1$ $s_2 = 946.0$ V/pc/m $T_{01} = 0.200$ $T_{02} = 0.177$ μs $A_s = 0.343$ $V_r = 0.250$